The Crystal Structure of N,N'-Diphenyl-1,8-diaminoanthraquinone

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The crystal structure of N,N'-diphenyl-1,8-diaminoanthraquinone has been worked out with threedimensional X-ray intensity data. There are two molecules in an orthorhombic unit cell, the twofold symmetry axis of which coincides with the twofold axis of the molecule. 687 structure amplitudes were used for the refinement, resulting in R = 7.3 %, and standard deviations of 0.007 Å in the atomic coordinates. The phenyl rings are inclined by 61.8° to the anthraquinone nucleus, which itself is not quite planar. There is a likelihood of hydrogen-bond formation between the two nitrogen atoms and one of the oxygen atoms, of length 2.578 Å.

Introduction

The crystal structure determination of this compound was undertaken as part of our investigations of the shape and properties of substituted anthraquinones, and because it formed an isomeric pair with N,N'diphenyl-1,5-diaminoanthraquinone, the structure of which has also been determined (Bailey & Brown, 1967). Good dark-blue crystals were readily obtained by recrystallizing the reaction product of 1,8-dichloroanthraquinone and aniline.

Experimental

Unit-cell dimensions were determined from both rotation and Weissenberg photographs about each of the principal axes. The crystal symmetry is orthorhombic and the axis lengths are

$$a = 21.312, b = 9.205, c = 4.855$$
 Å.

The space group, derived from the absent reflexions $\{h00\}$ with h odd, and $\{00l\}$ with l odd, is $P2_122_1$. As there are only two molecules in the unit cell, it follows that the twofold axis of the molecule coincides with the twofold axis of symmetry of the lattice. The density determined by flotation in sodium iodide solution was 1.360 g.cm⁻³, compared with 1.361 required by the X-ray data.

Intensity data were obtained from Weissenberg photographs about **b** (zero layer only) and **c** (zero and four layers) by comparison with a time-exposure calibrated film strip. The usual correction factors were applied and the structure amplitudes placed approximately on the absolute scale by Wilson's statistical method. Further scaling was done on the computer. No allowance was made for absorption or extinction as the crystals used were very small needles.

Determination of the structure

The trial structure was very readily determined from considerations of the unit cell and space group; the limitation of having the twofold molecular axis lying along **b** enabled a set of x and y coordinates to be written down which gave a number of F(hk0) in approximate agreement with the values observed. This [c] projection was refined by successive Fourier syntheses and structure factor calculations. Approximate z coordinates were then deduced by geometry. Threedimensional refinement then followed on the computer, using programs written by Cruickshank & Pilling (1961). Anisotropic temperature factors were calculated and hydrogen atoms were included at their calculated positions assuming C-H and N-H to be 1.08 Å, but these were not refined. After several cycles of structure factors and least-squares calculations, all the 687 terms were included, and the R value was 7.3%. The shifts indicated by the last cycles for both the positional and thermal parameters were less than one-half the standard deviations. The final set of coordinates is given in Table 1, and the comparison between observed and calculated structure amplitudes is shown in Table 2.

Description of the structure

Molecules of N, N'-diphenyl-1,8-diaminoanthraquinone exist as separate identities in the crystal lattice with only van der Waals forces holding them together. The bond lengths and angles are shown in Fig. 1, together with the numbering of the atoms used in this work. The mean C-C distance in the benzene ring is 1.383 Å, compared with 1.382 Å in the 1,5-isomer. In the outer ring of the anthraquinone nucleus the C-C length is 1.391 Å, compared with 1.396 Å in the isomer (Bailey & Brown, 1967). The C=O distance (1.218 Å) is shorter when the oxygen atom does not accept a hydrogen bond than when it does (1.250 Å). Examination of the system where hydrogen bonding (N-H-O)might occur shows disturbances in the normal bond lengths, similar to those found in the 1,5-isomer. Because this effect is found in two structures, there is a strong probability that C(1), N, H(1), O(1), C(7) and C(6) are involved in a resonating ring system. The

H(12)

H(13)

H(14)

0.2557

0.2918

0.2137

0.9121

0.7217

0.5774

0.8915

0.5751

0.3109

C(1)-N and C(7)-C(6) bonds are shorter at 1.358 and 1.467 Å than would be expected, while the C(7)-O(1) and C(6)-C(1) bonds at 1.250 and 1.432 Å are longer than usual. It would be an interesting study to investigate how the lone pair electrons from the oxygen and nitrogen atoms contribute to these effects.

The equation of the mean plane through the anthraquinone nucleus is

Table 1. Atomic parameters
The values of B_{ij} are defined by the coefficients in the formula
$\exp\left[-\frac{1}{4}(h^2a^{*2}B_{11}+2hka^{*}b^{*}B_{12}+\ldots)\right].$

	x/a	y/b	z/c	<i>B</i> ₁₁	B ₂₂	B ₃₃	B ₁₂	B ₂₃	B ₁₃
C (1)	0.0860	0.4478	0.3628	4.03	6.21	3.71	0.19	0.42	0.49
$\tilde{C}(2)$	0.1226	0.3639	0.5419	4.19	6.64	4.78	0.77	1.65	-0.35
C(3)	0.1199	0.2137	0.5382	5.16	7.68	5.32	1.03	2.40	1.67
C(4)	0.0800	0.1441	0.3676	4.52	5.61	5.55	0.75	1.05	1.56
C(5)	0.0424	0.2206	0.1882	4.75	4.93	4.30	0.34	0.33	1.64
C(6)	0.0434	0.3729	0.1841	3.67	4.79	4.40	0.22	0.26	1.20
C(7)	0	0.4496	0	4.41	4.12	4.73	0	0	0.48
C(8)	0	0.1377	0	5.73	4·19	6.30	0	0	2.65
C(9)	0.1345	0.6788	0.5085	4.78	4.73	4.49	0.18	0.79	-1.24
C(10)	0.1145	0.7815	0.6931	5.59	3.87	5.64	0.19	0.66	-0.67
C(11)	0.1594	0.8636	0.8325	6.62	4.70	5.46	0.24	-0.41	-1.28
C(12)	0.2219	0.8446	0.7858	5.80	5.92	5.57	-0.01	-0.20	-1.29
C(13)	0.2422	0.7399	0.6048	4.68	8.01	5.91	-0.19	0.77	- 1.54
C(14)	0.1984	0.6572	0.4594	4.86	6.89	4.86	0.41	- 1.27	0.18
N	0.0892	0.5951	0.3584	5.65	4.92	6.89	0.44	0.42	-2.14
O(1)	0	0.5854	0	5.20	4.83	6.34	0	0	-3.25
O(2)	0	0.0054	0	8.24	4.84	7.98	0	0	0.31
H(1)	0.0554	0.6529	0.2340						
H(2)	0.1536	0.4174	0.6856	Mean isotropic $B = 5.08$					
H(3)	0.1499	0.1516	0.6732						
H(4)	0.0775	0.0270	0.3717						
H(10)	0.0650	0.7985	0·7296 j						
HÌIÍ	0.1443	0.9439	0.9806						

Mean e.s.d. for coordinates = 0.007 Å, for $B_{ij} = 0.30$ Å².

Mean isotropic B = 6.28



Fig. 1. Bond lengths and inter-bond angles.

Table 2. Observed and calculated structure amplitudes and phase angles

H K L F(OBS) F(CALC) OL	H K L F(ORS) F(CALC) of	H K L F (OBS) F (CALC) OL	H K L F(OBS) F(CALC) OL	H K L F(OBS) F(CALC) OL
H K L $F(CALC)$ OL 4 0 0 4986 51.9 0 6 0 0 44.9 180 0 6 0 0 0 130 14.9 180 10 0 19.5 30.8 0 19.5 10.1 10 0 19.5 30.8 0 13.4 0 19.5 10 0 0.3.6 1.1.1 1.7.1 0 33.4 0 11 0 4.0.7 39.5.3 180 31.4 0 7.2.3 0 31 0 7.2.3 160.7 17.0 0 5.3.7 0 31 0 3.7.3 3.5.4 180 3.5.7 7.0 11 1 0 1.6.7 1.7.6 0 3.5.7 17.0 12 1 1.6.6 7.0 0 3.5.7 17.0 11	H K L F(ORS) F(CALC) QL 11 6 0 564 667 180 13 6 0 564 667 180 13 6 0 564 599 0 14 6 0 564 590 0 15 6 0 564 590 0 17 0 564 359 460 90 17 0 564 561 90 170 190 190 100 100 100 100 100 100 100 100 100 100 100 100 100 100 110 100	H K L F(OHS) F(CALC) Q B 3 1 544 $9 \cdot 1$ 353 9 3 1 547 446 334 10 3 1 1242 135 1133 13 1 1294 136 341 13 1 1294 343 345 13 1 1263 3233 366 377 0 4 1 3463 3265 3173 0 4 13443 3265 31144 3 11663 11244 3163 3 1 126647767331 3146 3 1164177733644473003 31636477331 31444737033 13 1 3447439477331 3144441397433377 $31344744430871664343373166 13 134141354774364444438774033444433716 3144533657377331373744443371663136576644133351366631666531666511665366661116633666666671116336667667116733663365316673677757323456633636737$	H K L P(OBS) $F(CALC)$ CK 0 1 a 17.0 16.6 180 1 a 35.0 35.3 59 1 a 15.5 16.6 36.6 1 a 19.5 16.6 36.6 1 a 19.5 15.4 35.3 6 1 a 11.5 15.3 34.0 1 a 13.5 14.7 35.1 35.6 1 1 a 5.7 7.7 15.1 1 a 18.6 7.7 25.1 36.7 1 a a.7.7 6.7 37.1 36.7 37.7 1 a a.3.6 7.97 15.6 37.7 37.6 1 a a.3.4 3.6 7.7 35.6 37.7 1 a 3.6 7.7 35.6 37.7 37.6 37.7 37.6	H K L F(OBS) F(CALC) CL 6 7 a 3-4 3-5 3-9 13-6 13 7 a 3-4 3-5 13-7 16 7 a 3-4 3-5 131 16 7 a 3-0 3-5 131 16 7 a 3-0 3-5 131 16 8 a 4-4 3-1 160 5 8 a 4-4 105 10 1 9 a 4-4 105 10 1 9 a 4-4 105 10 1 9 a 4-4 105 10 10 1 9 a 4-4 105 10 10 1 9 a 3-4 3-6 10 10 13 10 1 9 a 3-4 3-6
3 6 0 40 5 506 270 5 6 0 40 508 90 6 6 0 907 908 0 7 6 0 609 608 90 9 6 0 900 906 270	3 3 1 3707 3409 9 4 3 1 2000 1803 353 5 3 1 1408 1308 168 6 3 1 707 609 144 7 3 1 1800 1604 234	15 0 2 26.6 25.3 0 16 0 2 19.6 19.5 0 17 0 2 3.4 2.7 0 19 0 2 3.4 2.9 180	I 7 3 8.68 8.0 I4 3 7 2 I3.4 I3.8 37 3 7 2 I3.4 I3.8 37 4 7 2 I3.4 I4.3 33 4 7 2 I3.4 I0.8 38 5 7 3 5.3 4.5 59	0 5 3 9.6 9.9 270 I 5 3 6.0 6.9 298 a 5 3 6.3 5.9 8a 3 5 3 7.04 701 184 5 5 3 3.00 3.03 3.03 2.39

H K L F(OBS) F(CALC) OL	H K L F(OBS) F(CALC) OL	H K L F(OBS) F(CALC) OL	H K L F(OBS) F(CALC) OL	H K L F(OBS) F(CALC) OL
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4 7 3 3.4 3.09 174 0 8 3 3.8 3.2 90 2 8 3 3.8 3.2 3.3 9 8 3 4.0 3.8 3.39 10 8 3 2.0 3.4 387	19 0 4 4+3 4+9 180 1 1 4 3+4 3+5 335 3 1 4 3+0 393 397 3 1 4 3+0 301 17 4 1 4-2 6 /3+0 101	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	a 5 4 2+8 2+02 283 3 5 4 2+8 2+7 353 4 5 4 2+8 2+7 353 5 5 4 2+8 2+3 37 7 5 4 4+9 4+3 37 7 5 4 4+9 4+4 385	7 • 5 3•7 3•6 180 • • 6 5•4 5•9 • 1 • 6 1•8 1•5 18• 3 • 6 3•7 3•5 • 3 • 6 5• 75 38
28 8 3 407 302 262	5 1 4 3.0 3.5 196	I 3 4 4+0 3+8 343	• 6 4 4+9 5+3 •	

Table 2 (cont.)



Fig. 2. Projection of structure along b.

0.7051 X - 0.0450 Y - 0.7077 Z = 0.1421

0.0233 X - 0.6814 Y + 0.7315 Z = 2.3851

but the out-of-plane distances (average 0.03 Å) indicated that a better fit would be obtained if the outer and central rings were taken separately. When this was done, their normals made an angle of 2.6° , and the mean out-of-plane distance was only 0.01 Å. This slight divergence from planarity may well be due to experimental error, seeing that the number of terms used in the refinement was not very large.

The equation of the mean plane through the substituent phenyl ring is from which the average displacement is 0.006 Å. This plane makes an angle of 61.8° with the mean plane through the anthraquinone ring system.

The closest intermolecular approaches are between molecules along **c**, where there are a number of C-C contacts from 3.47 Å upwards. The nearest C-O approach is C(10)-O(1')=3.38 Å.

Projections of the structure along **b** and **c** are shown in Figs.2 and 3. Attempts at further analysis of the thermal vibrations showed that the molecule could



Fig. 3. Projection of structure along c.

not be treated as a rigid body, and computer programs for dealing fully with more complex vibrations are not yet ready.

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The Crystal Structure of So-Called α-LaAl₄ (La₃Al₁₁)

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An analysis of the structure of what is known in the literature as α -LaAl₄ revealed that the correct formula is La₃Al₁₁. Analogous formulae seem to apply to ' α -CeAl₄', ' α -PrAl₄' and ' α -NdAl₄'. La₃Al₁₁ crystallizes in the space group *Immm*; a=4.431, b=13.142, c=10.132 Å. There are two formula units in the unit cell. The structure was refined by least-squares methods to a weighted R index of 7.9%. Details of the structure are presented and its relation to ' β -LaAl₄' is discussed.

Introduction

Hitherto $LaAl_4$ has been known to occur in two different modifications, but the various investigators disagree about the transition temperature. According to

Gschneidner's (1961) review the phase transition takes place at $813^{\circ} \pm 3^{\circ}$ C, whereas Buschow (1965*a*) found experimental evidence for a phase change at 915°C. There has been considerable confusion about the

structure of $LaAl_4$. The oldest publication (Rossi, 1933)